



Exceptional service in the national interest

Translating Excited State Dynamics to Classical Interatomic Potentials

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LAMMPS Workshop, Albuquerque, 2025

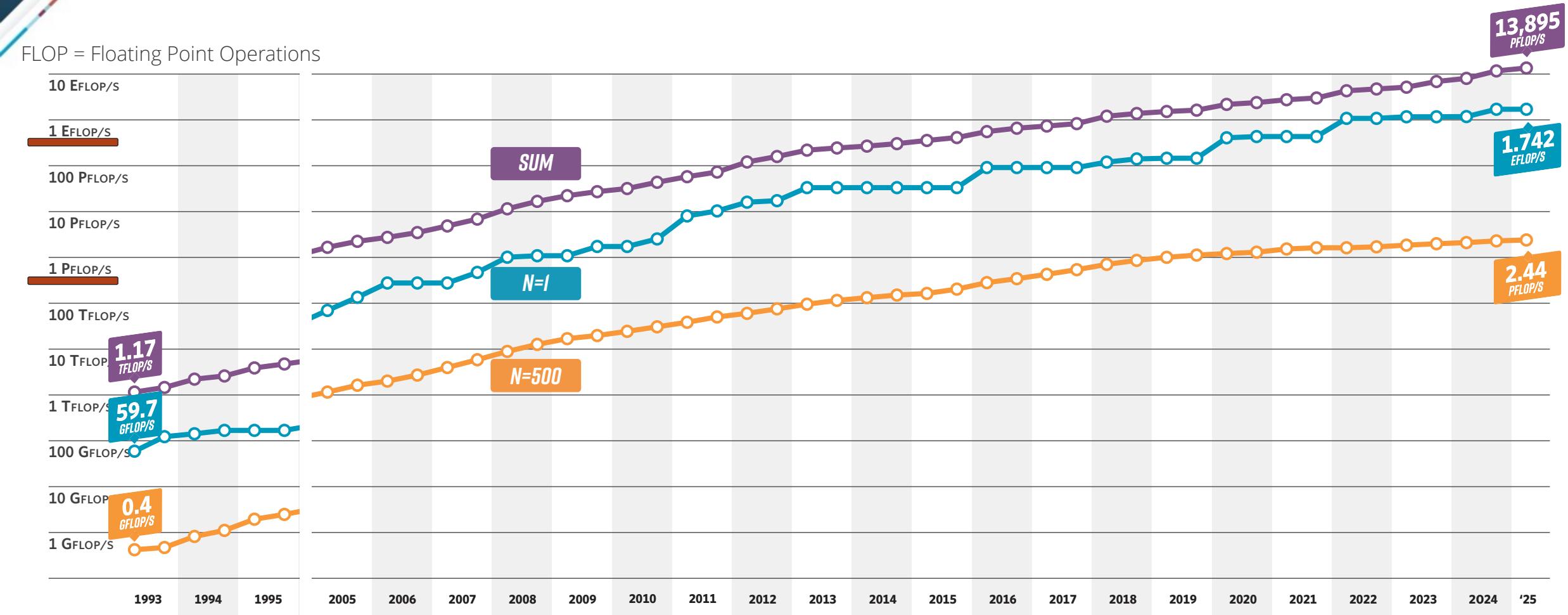


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21st Century Theorist (?)

FLOP = Floating Point Operations

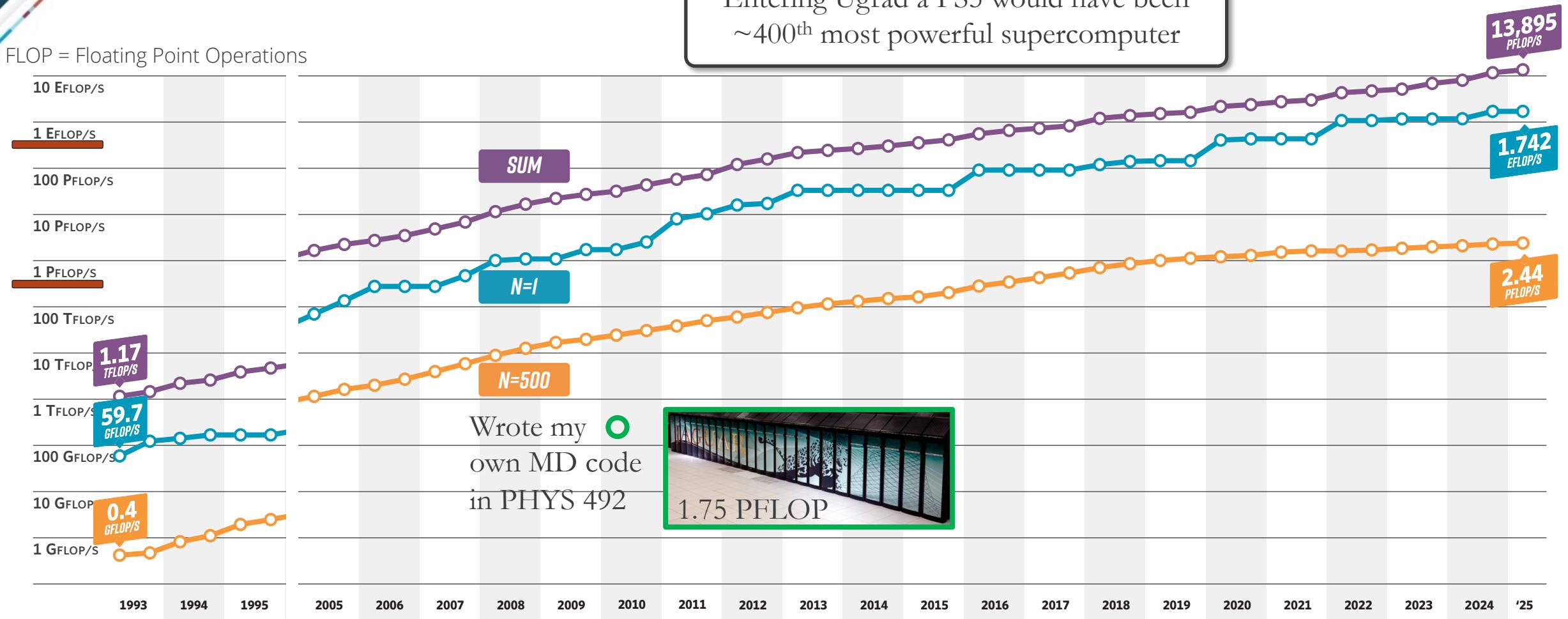


More powerful supercomputers are inevitable, but is our scientific usage of this technology keeping up?

My Perspective

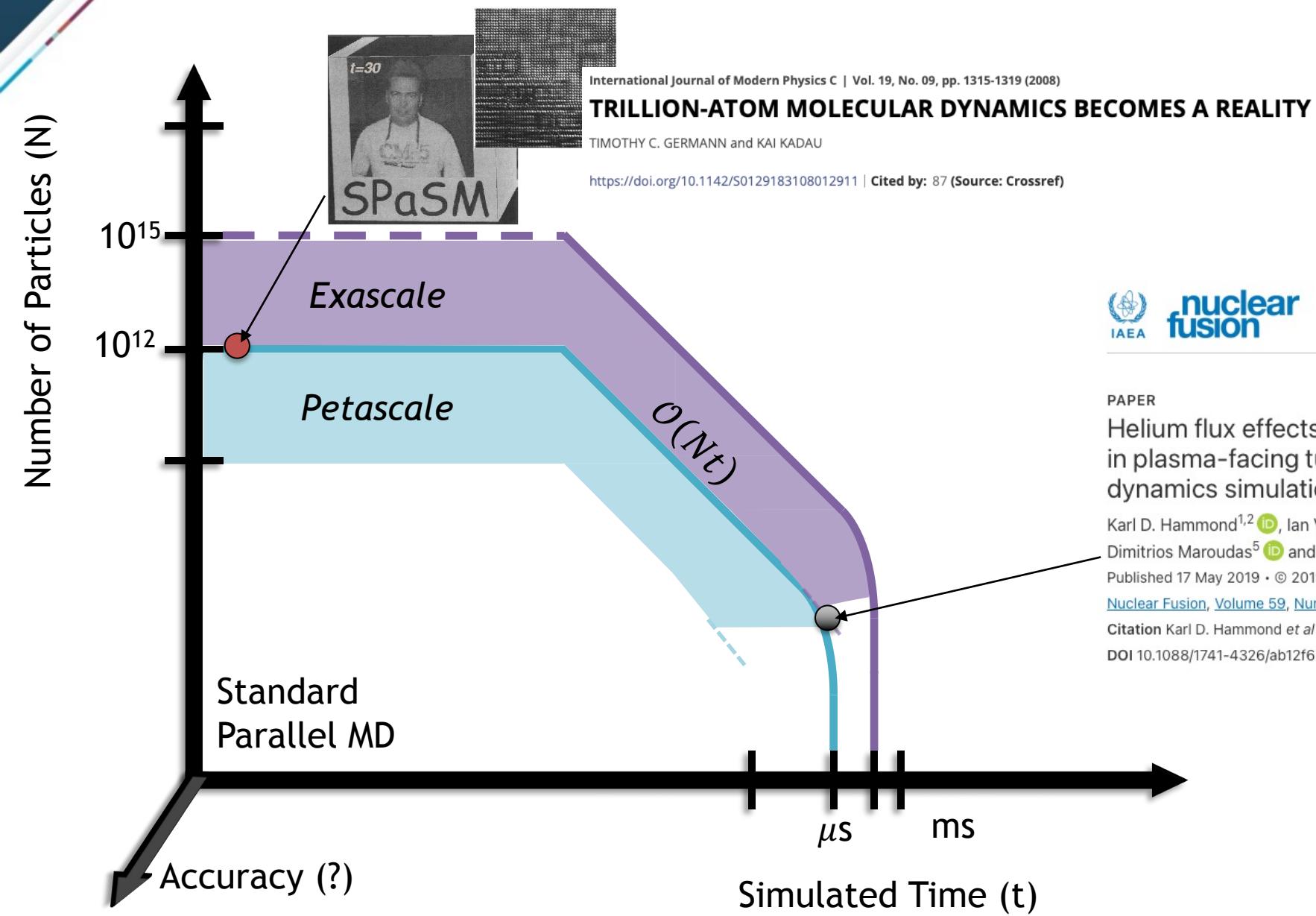


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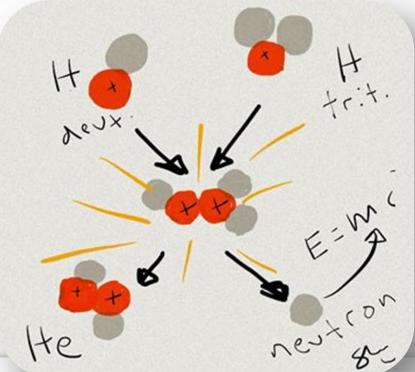


Frontiers of Molecular Dynamics





Exascale Molecular Dynamics

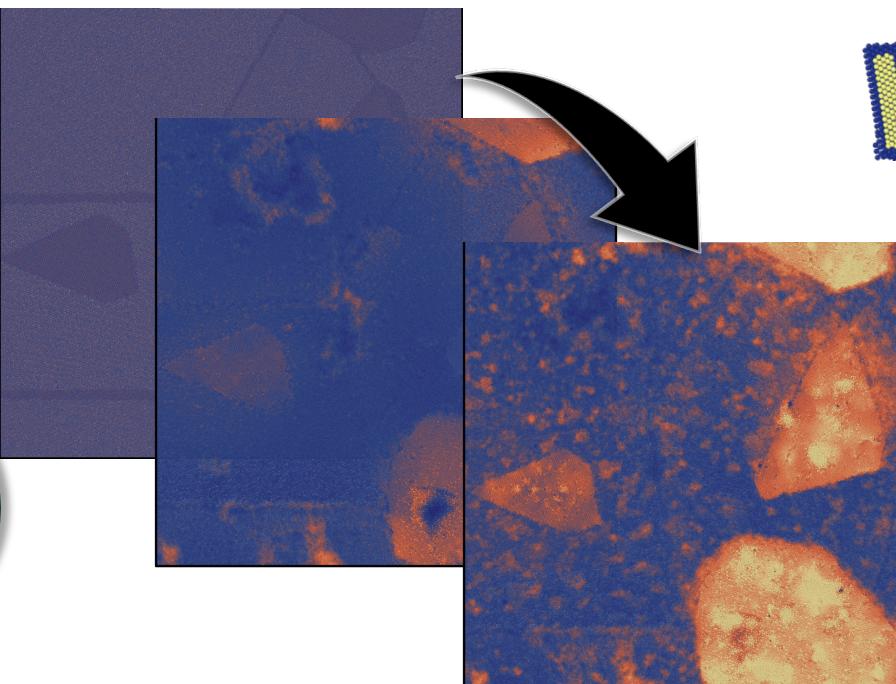


To operate safely and efficiently, fusion power plants must be designed with materials that can withstand the extreme heat and particle loads generated by the fusion process.

He

W

ZrC



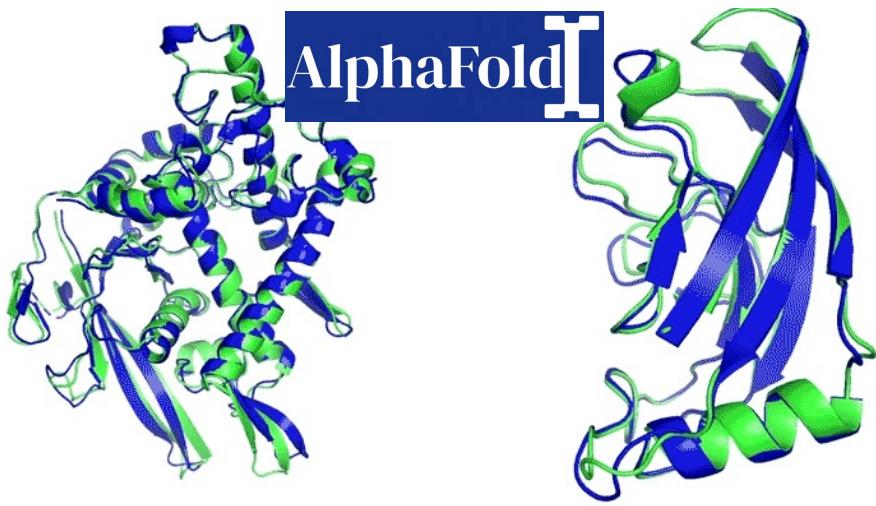
LAMMPS
gitlab.com/exaalt
github.com/lammps/lammps

Outcome: Demonstrated fast virtual assessment of new materials, from the training of accurate machine-learned models to large-scale, long-time exascale simulations

Captured surface erosion rates in a candidate material utilizing **4 Frontier-Days**.

Exascale Molecular Dynamics

Observation 1: Machine learning has broken the traditional accuracy and cost tradeoff



T1037 / 6vr4
90.7 GDT
(RNA polymerase domain)

- Experimental result
- Computational prediction

Observation 2: Model development has been democratized, inviting broader uses of modeling / simulation methods

Claim: Exascale computing power will be used to push the frontiers of simulation accuracy not length/time



What is a machine learned Interatomic potential?



A machine-learned interatomic potential refers to a computational model or algorithm that is designed to describe the interactions between atoms in a material using machine learning



What is the TLDR version of this I can use to explain this at an undergraduate level



Machine-learned interatomic potentials are computational models that use machine learning techniques to describe how atoms interact in materials. In traditional approaches, equations and parameters are used to approximate these interactions. However, machine-learned potentials take a different approach by training on large datasets to learn the relationship between atomic structures and their properties.

MD Approximations Change Over Time

<http://lammps.sandia.gov>

Twobody (B.C.)

Lennard-Jones, Hard Sphere, Coulomb, Bonded

Manybody (1980s)

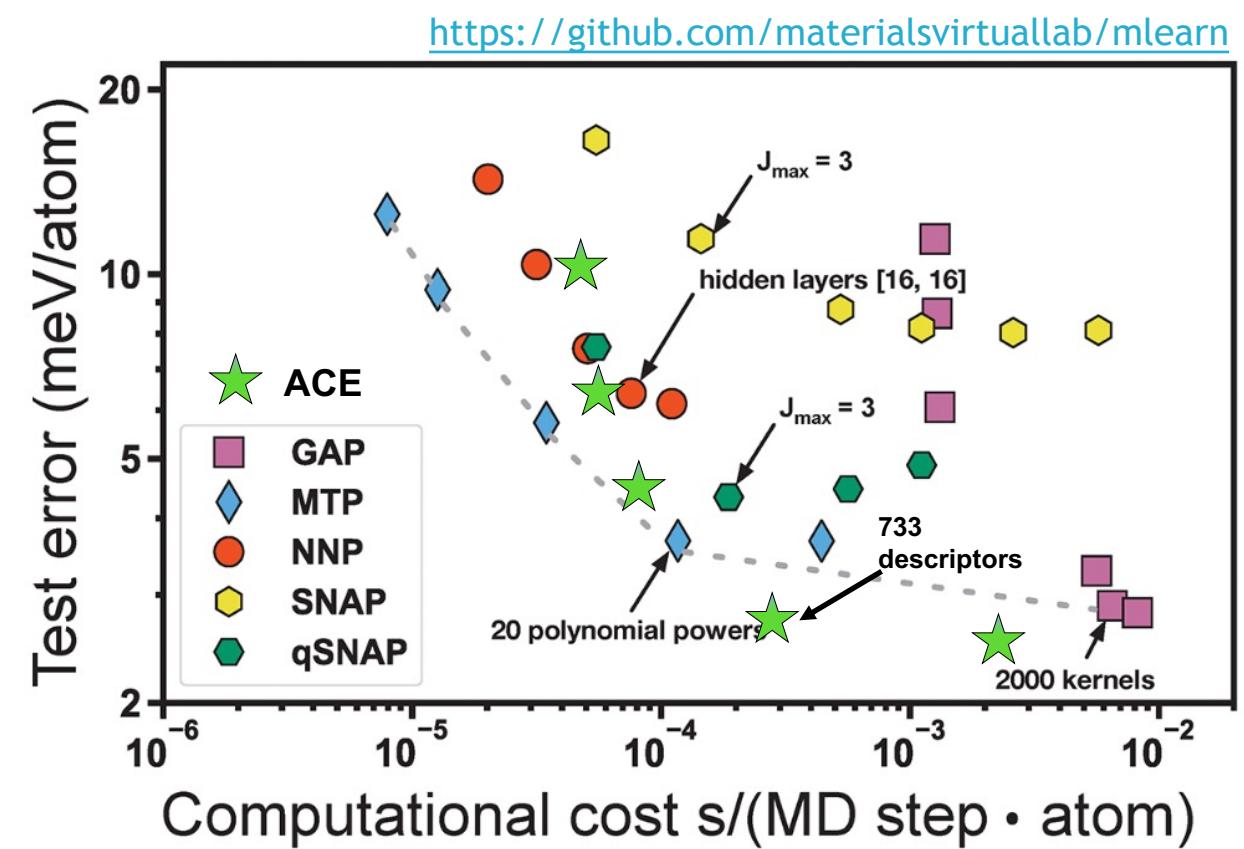
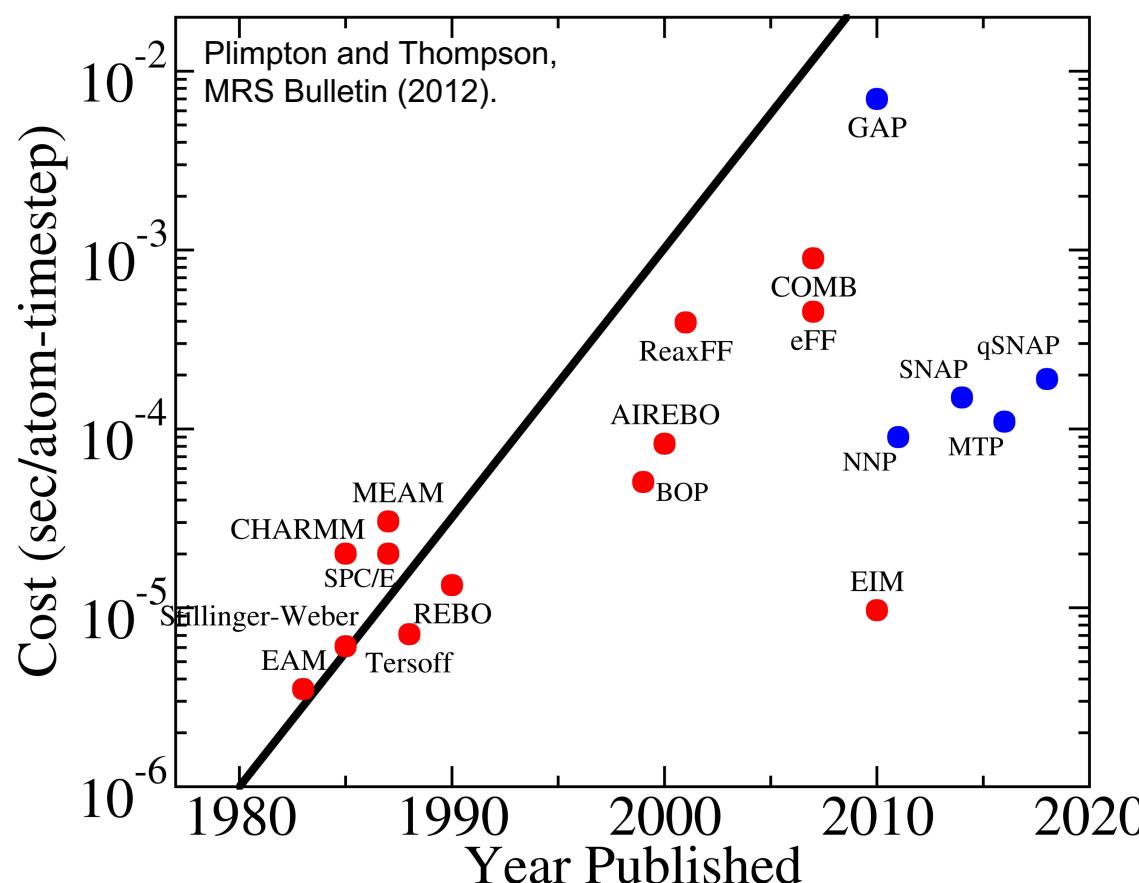
Stillinger-Weber, Tersoff, Embedded Atom Method

Advanced (90s-2000s)

REBO, BOP, COMB, ReaxFF

Big Data / Deep /

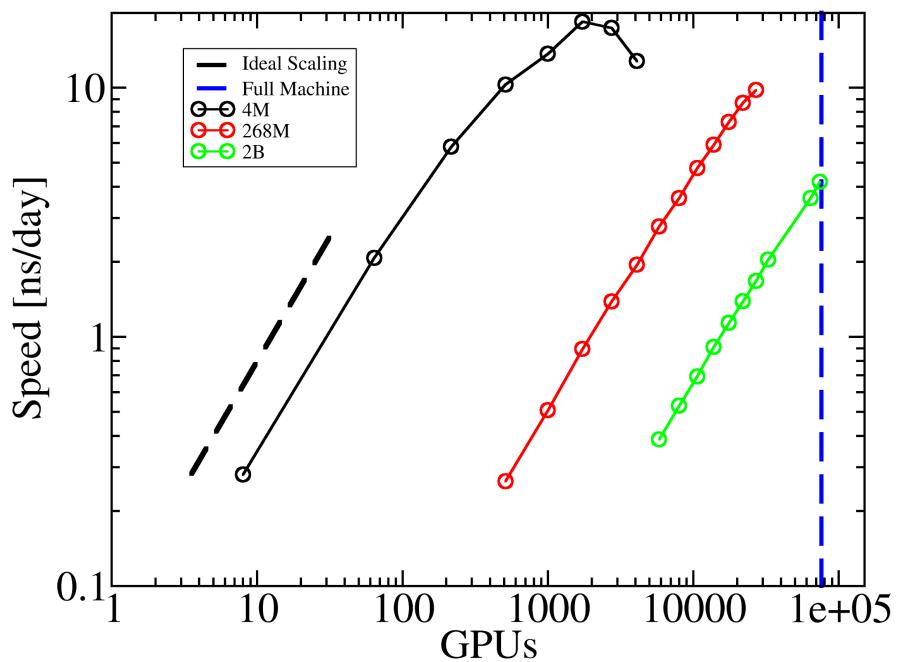
Machine Learning (2010s)
GAP, SNAP, NN, ...



Exascale Ready Models

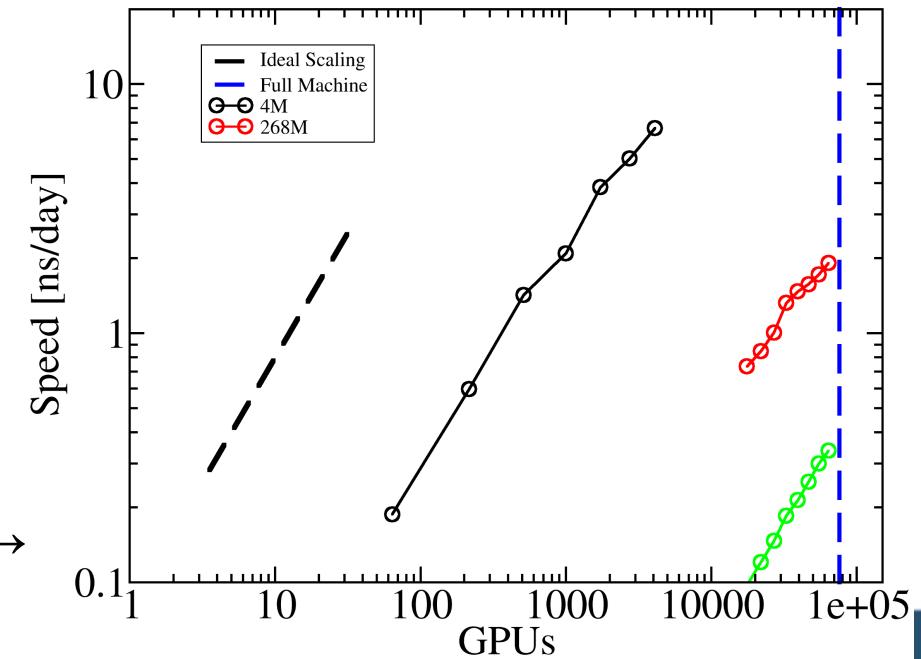
Performance Metrics

- Different descriptors, different computational cost.
- LAMMPS with ML-IAP are now a qualification metric for new exascale platforms!



← Bispectrum Components

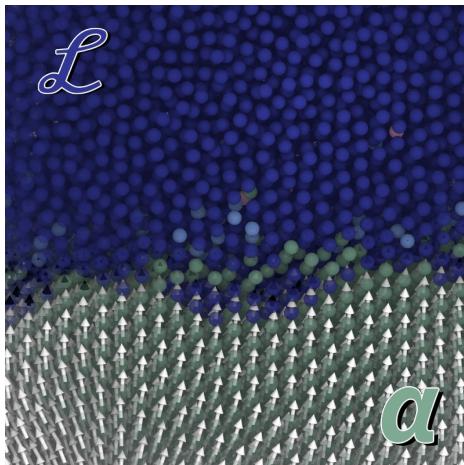
Atomic Cluster Expansion →



What is Next Gen MD?

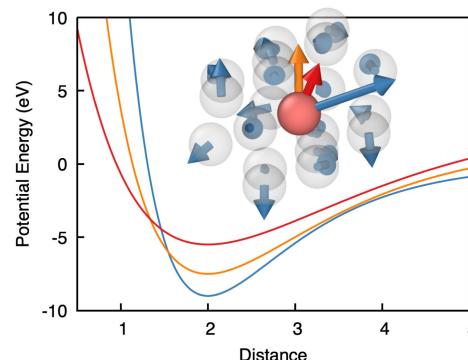
Magnetic Effects

- Available in LAMMPS, but developments needed for many-body spin interactions and other novel Hamiltonians



Electronic Excitations

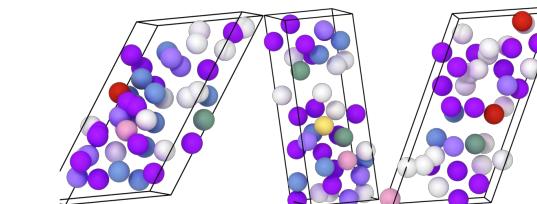
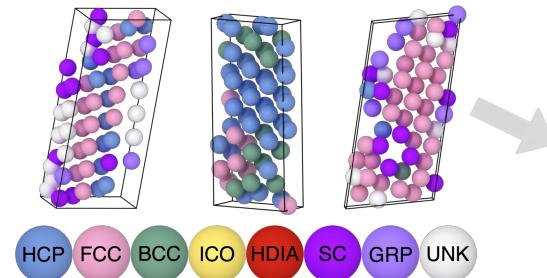
- Aspirational, but achievable given the rapid advancements of ML-IAP



Novel Descriptor Usage

- What is the value added beyond accuracy of using a ML-IAP given the computational cost?

- $K > 0$: Minimize Local Entropy

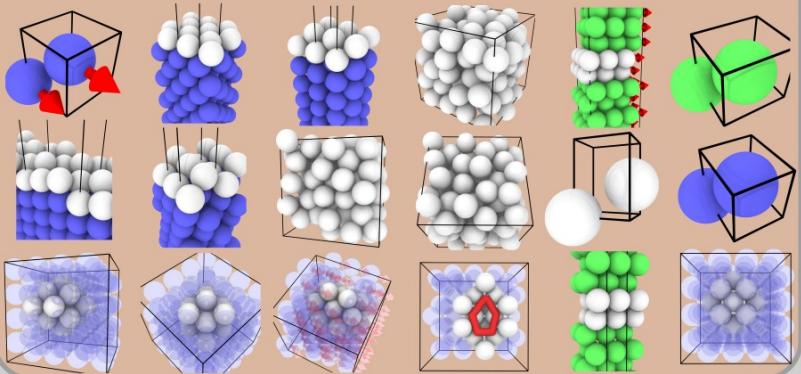


- $K < 0$: Maximize Local Entropy

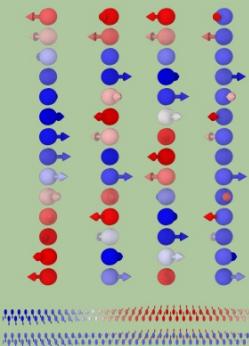
Multi-Physics Molecular Dynamics

First-Principles Training Set

DFT Calculations

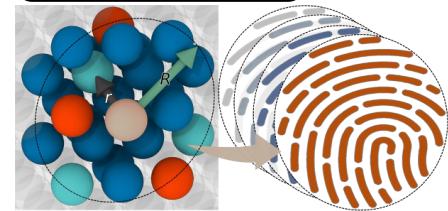


Spin Spirals



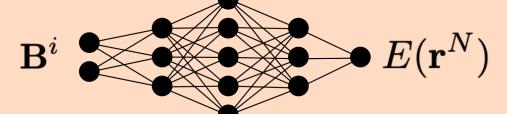
Atomic Interaction

$$\sum_i \frac{\mathbf{p}_i^2}{2m} + E(\mathbf{R})$$

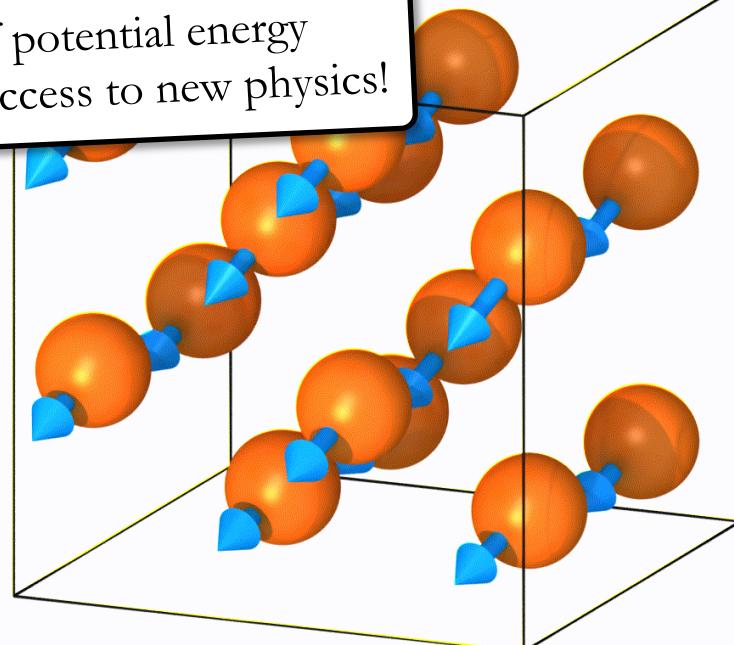


SNAP Models

$$\beta \cdot \mathbf{B}^i + \frac{1}{2}(\mathbf{B}^i)^T \cdot \alpha \cdot \mathbf{B}^i = E(\mathbf{r}^N)$$



Layering of potential energy surfaces gives access to new physics!



Spin Exchange Interaction

$$\sum_{i,j}^N J_{ij}(\mathbf{R}) [\vec{s}_i \cdot \vec{s}_j - 1] - \sum_{i,j}^N K_{ij}(\mathbf{R}) [(\vec{s}_i \cdot \vec{s}_j)^2 - 1]$$

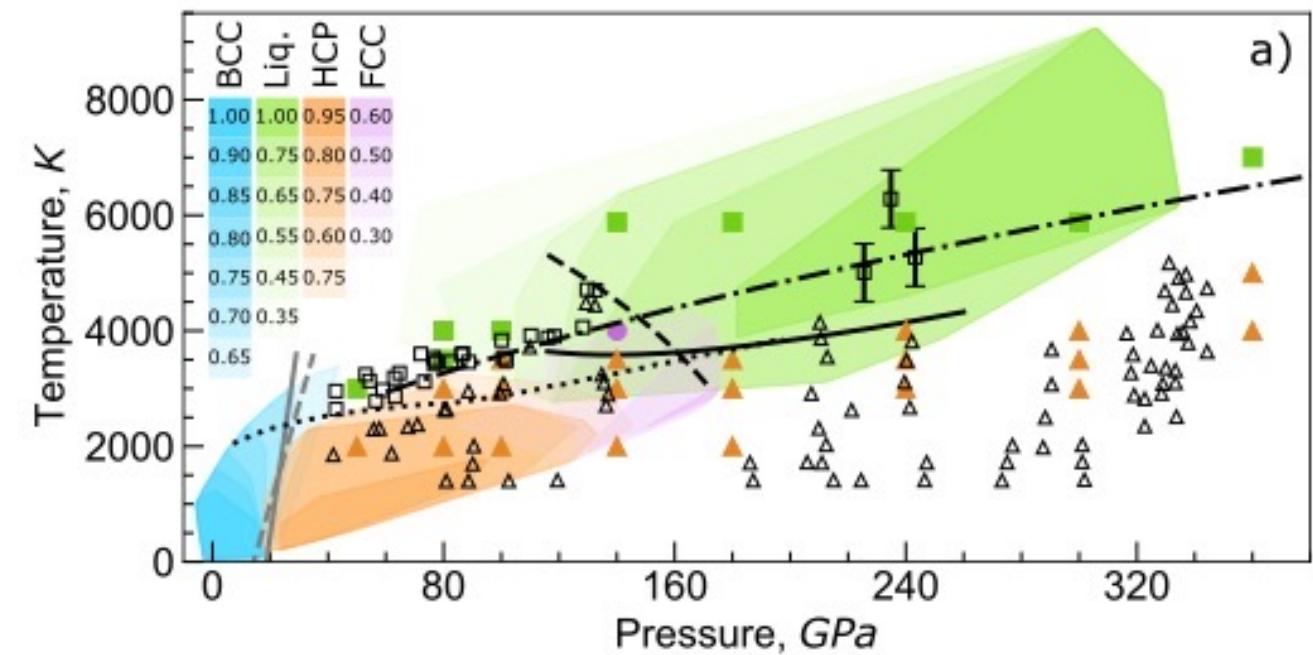
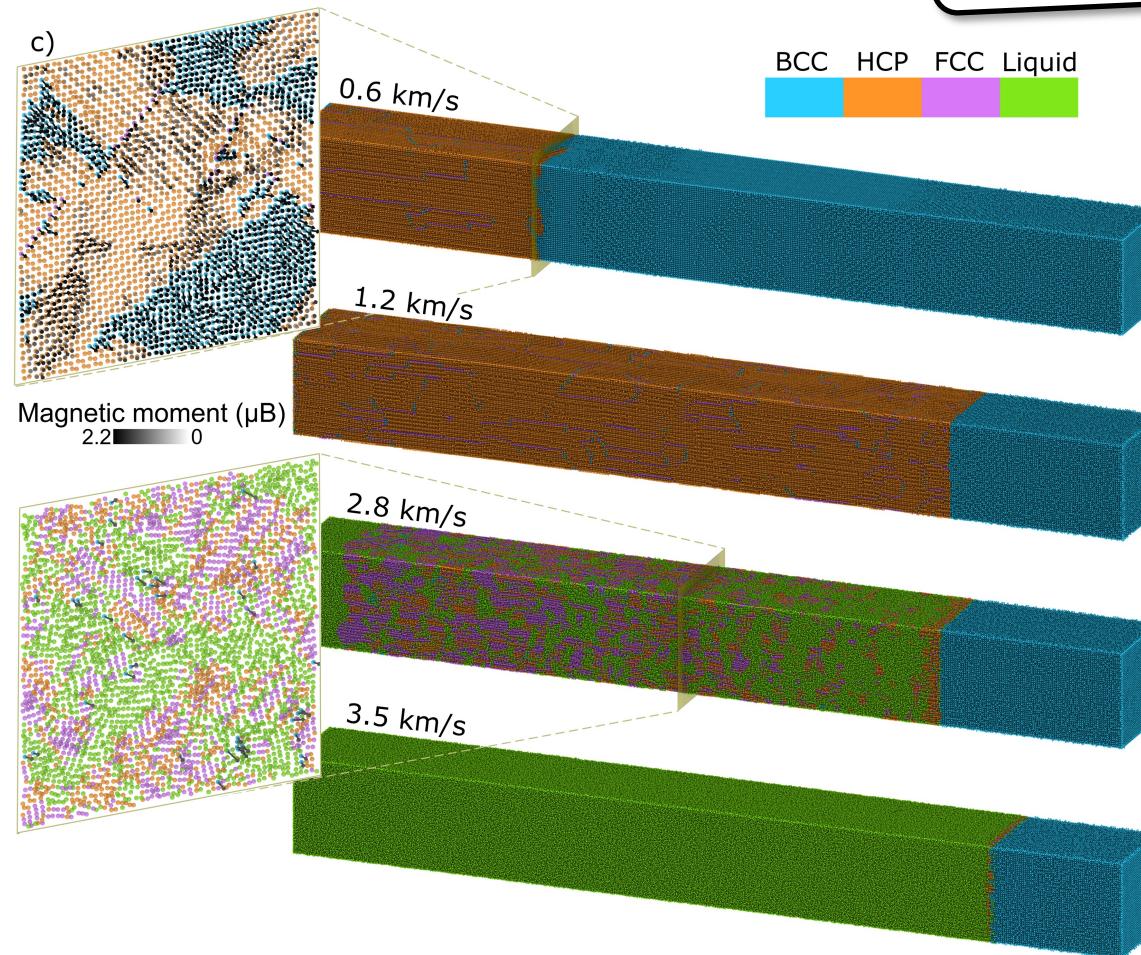
Spin-Crystal Anisotropy Interaction

$$\frac{1}{2} \sum_{i,j=1, i \neq j}^N \left\{ l_1(\mathbf{R}) \left[(\mathbf{e}_{ij} \cdot \mathbf{s}_i)(\mathbf{e}_{ij} \cdot \mathbf{s}_j) - \frac{\mathbf{s}_i \cdot \mathbf{s}_j}{3} \right] + q_1(\mathbf{R}) \left[(\mathbf{e}_{ij} \cdot \mathbf{s}_i)^2 - \frac{\mathbf{s}_i \cdot \mathbf{s}_j}{3} \right] \left[(\mathbf{e}_{ij} \cdot \mathbf{s}_j)^2 - \frac{\mathbf{s}_i \cdot \mathbf{s}_j}{3} \right] + q_2(\mathbf{R}) \left[(\mathbf{e}_{ij} \cdot \mathbf{s}_i)(\mathbf{e}_{ij} \cdot \mathbf{s}_j)^3 + (\mathbf{e}_{ij} \cdot \mathbf{s}_j)(\mathbf{e}_{ij} \cdot \mathbf{s}_i)^3 \right] \right\}$$

Atomic Insight Into the Earths' Core

"Probing iron in Earth's core with molecular-spin dynamics"
Nikolov, S ... Wood, M. PNAS 2024

Magnetic and structural transitions captured
in one MD simulation → Efficient sampling
of dynamic phase diagram!

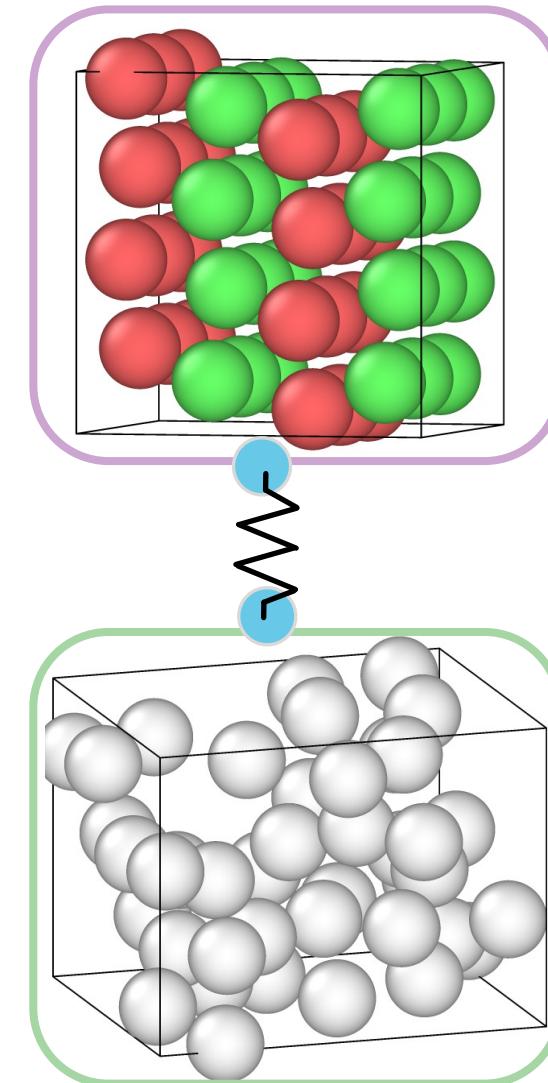
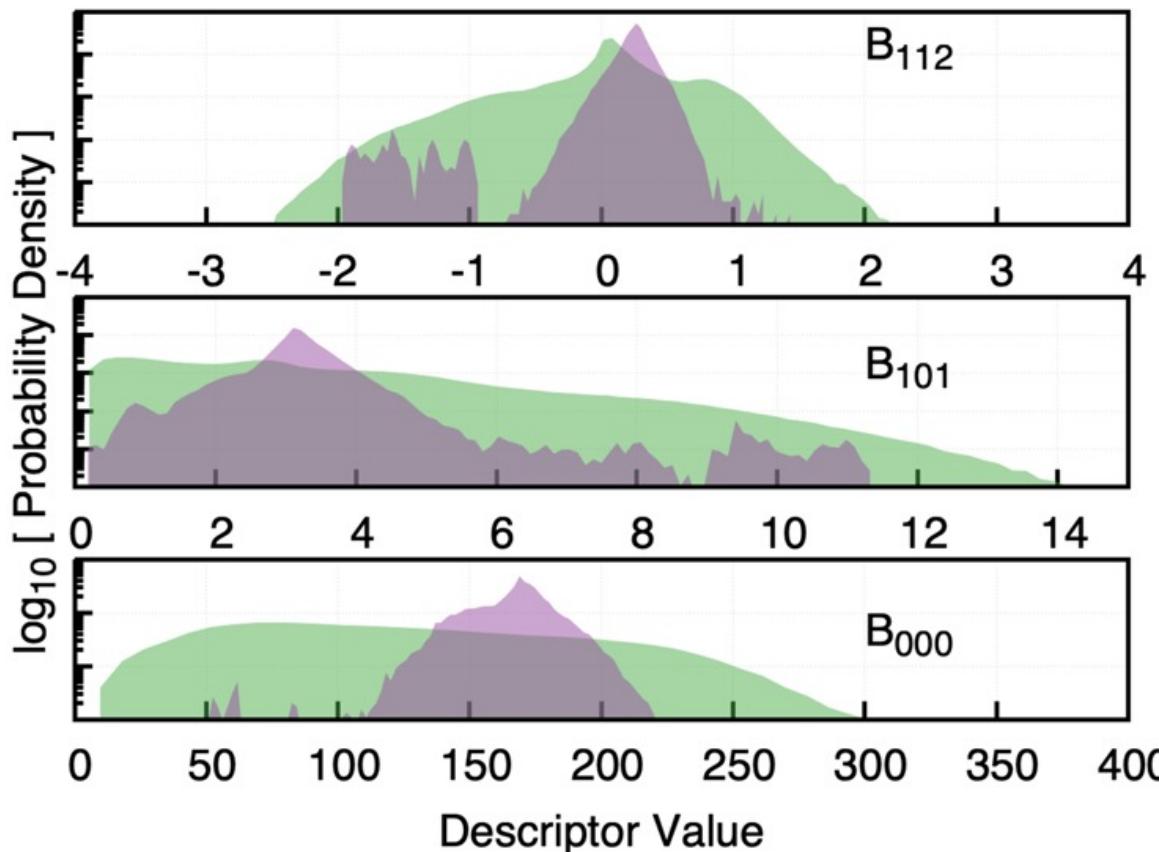


Value Added in MD From Atomic Descriptors

- Data compression easily achieved on large simulations by reducing MD trajectory into descriptor distributions

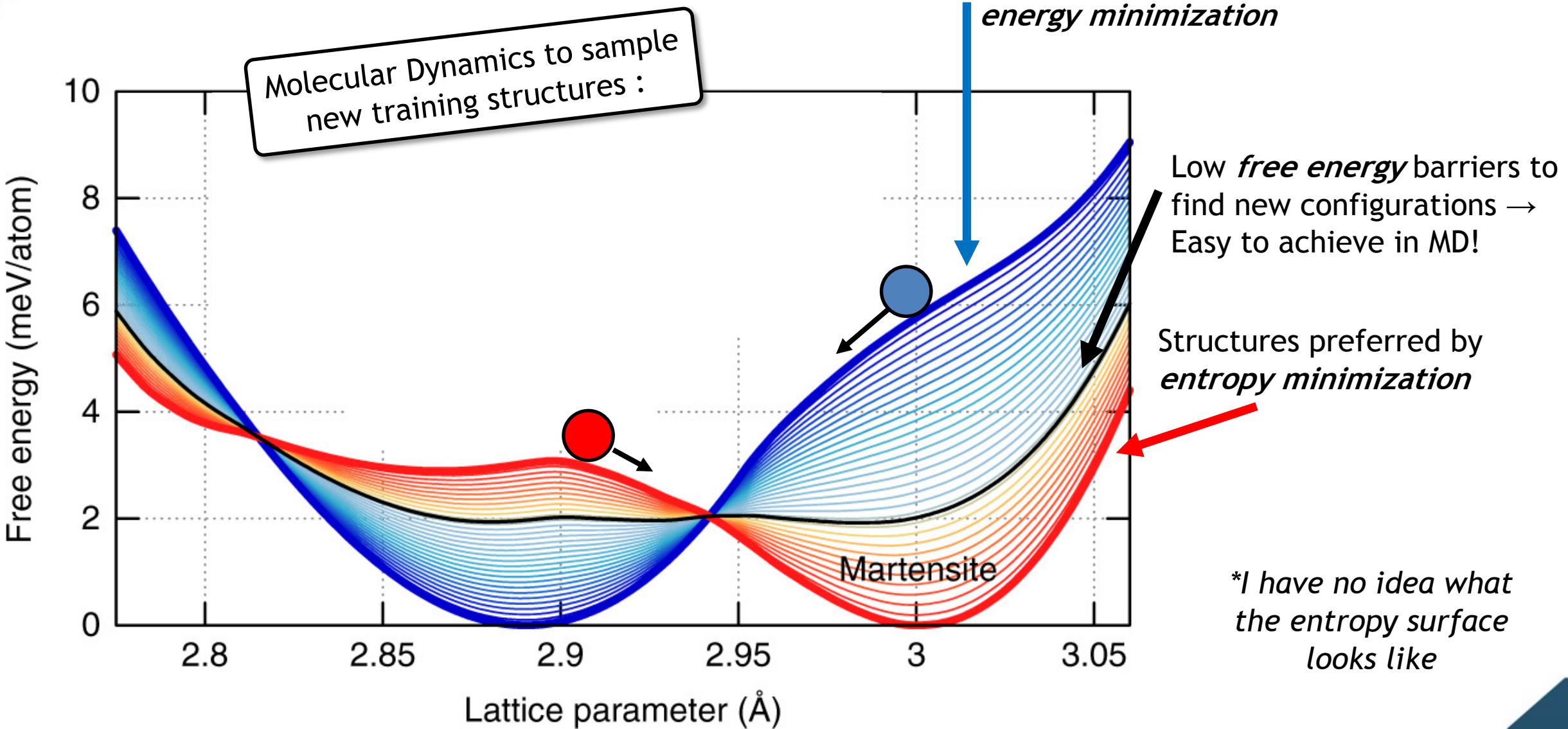
Domain Expertise Generated

Information Entropy Generated



- Descriptors can be used as a scale agnostic collective variable
- Information entropy on the descriptor distribution can be used to apply a force on atoms to move toward/away known structures

Value Added in MD From Atomic Descriptors



Generalized Representative Structures

- Each atom is represented by a vector of ~ 100 descriptors, any structure represented by distributions of descriptor values.

Score

Target Proposed

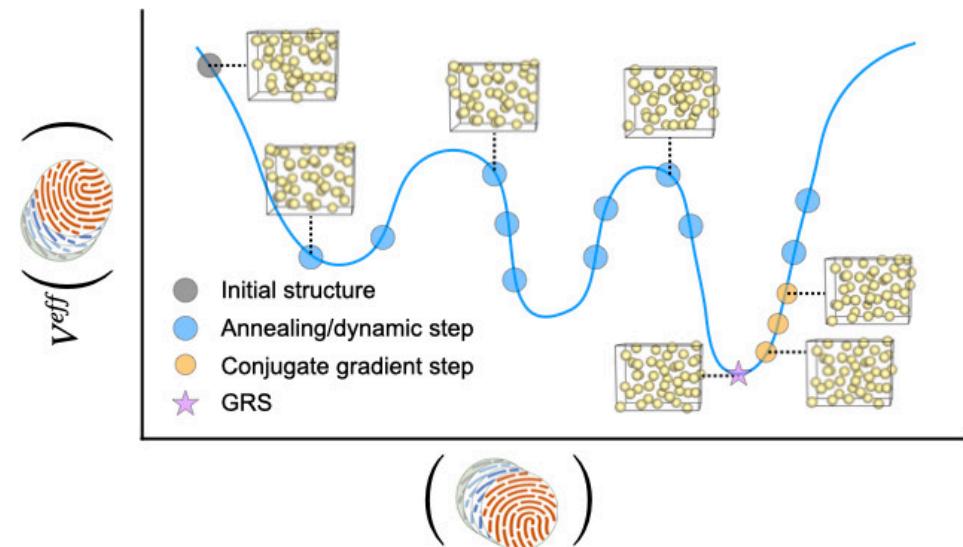
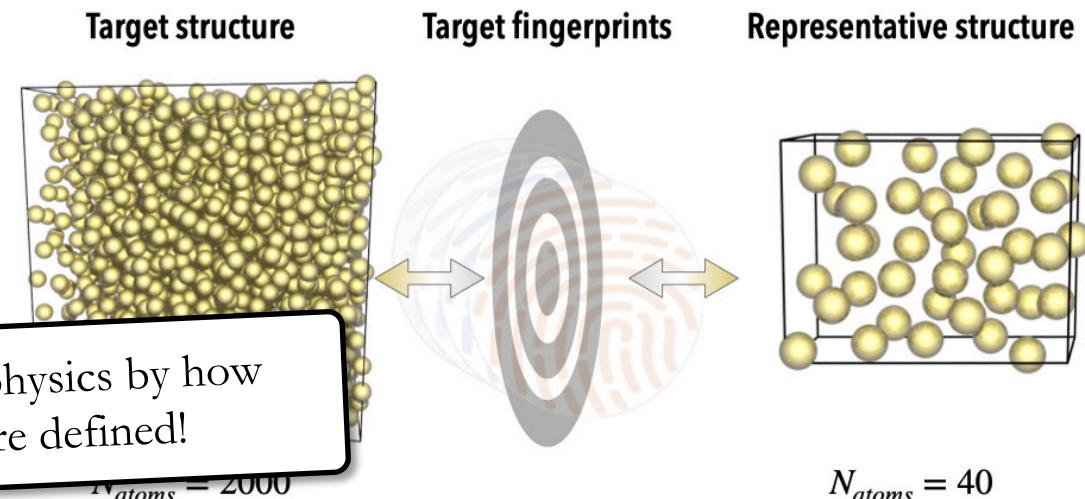
$$Q_{\text{SQS}} = \sum_{\alpha} |\bar{\Phi}_{\alpha}(\sigma) - \bar{\Phi}_{\alpha}^{\text{rand}}|$$

- Can move between scales by simplifying the descriptors, $d^s(\{\Phi_{\alpha}\})$ and $d^t(\{\Phi_{\alpha}\})$ with their moments

$$Q_{\text{GRS}}^{\text{intra}} = \alpha_1 \Delta \mathcal{M}_1[d^S, d^t] + \\ \alpha_2 \Delta \mathcal{M}_2[d^S, d^t] + \dots$$

- Now construct an effective potential that is the difference between target and current structure, sampling is challenging.

$$V^{\text{eff}}(\{R\}_S, \{\sigma\}_S) = V_{\text{core}}(R, \sigma) + w_1 Q_{\text{GRS}}(R_s, \sigma_s) \\ + w_2 Q_{\text{GRS}}^{\text{intra}}(\{R\}_S, \{\sigma\}_S).$$



Dynamic Interatomic Potentials

Approximate Electronic Excitations

- Even the most accurate ML-IAP fail to capture large changes in temperature due to electronic occupation changes.
- Born-Oppenheimer \rightarrow Sommerfeld Potentials

$$E = \int f_{FD}(\epsilon, T_e) D(\epsilon, \{R\}) d\epsilon \quad ; \quad f_{FD} = \frac{1}{e^{\epsilon/k_b T_e} + 1}$$

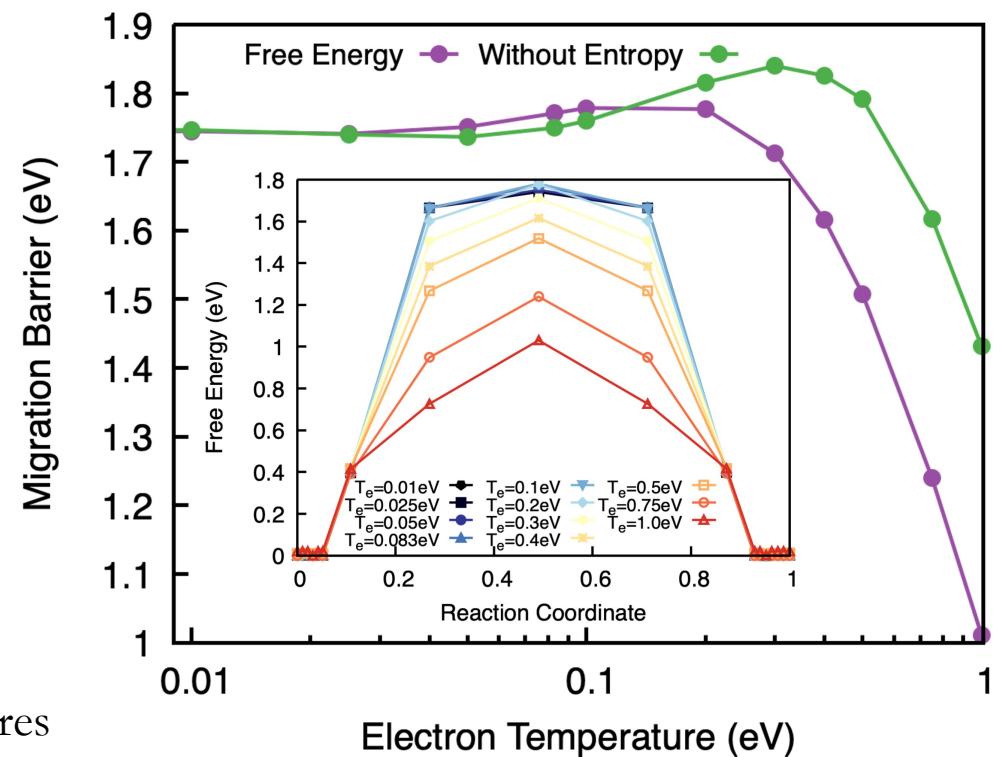
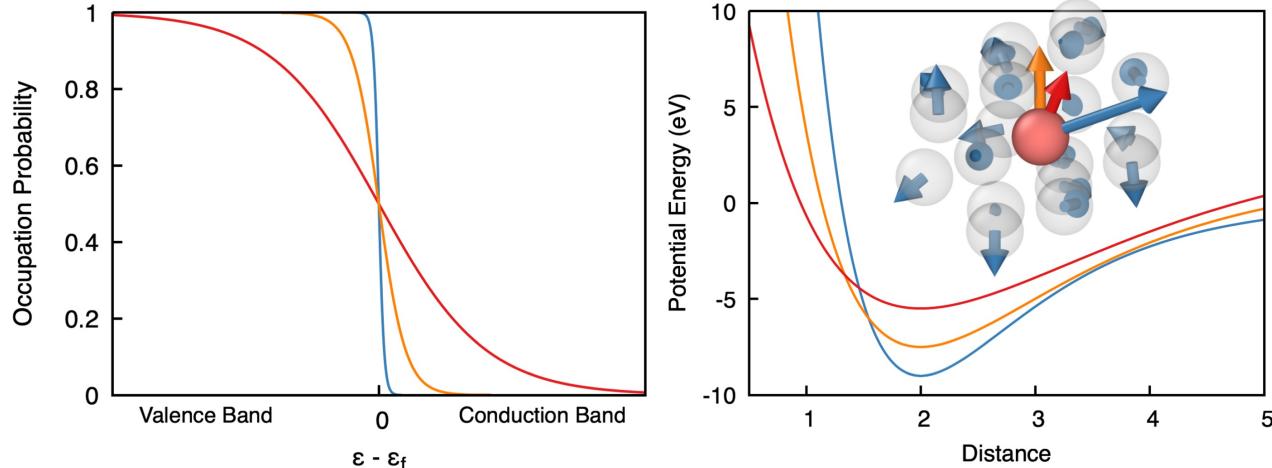
$$E = \int_{-\infty}^{\epsilon_f} \mathcal{H}(\epsilon) d\epsilon + \sum_n^\infty (k_b T)^{2n} a_n \frac{d^{2n-1}}{d\epsilon^{2n-1}} \mathcal{H}(\epsilon_f)$$

$$\mathcal{U}_{Som}(R_i) = \sum_j \mathcal{U}_{BO}(R_j, R_i) + T_e^2 \sum_j g_{\epsilon_f}(|R_i - R_j|)$$

Moment expansion for electron entropy can be captured with simple adaptations of ML-IAP

(Right) Vacancy migration barrier in Tungsten at elevated Temperatures

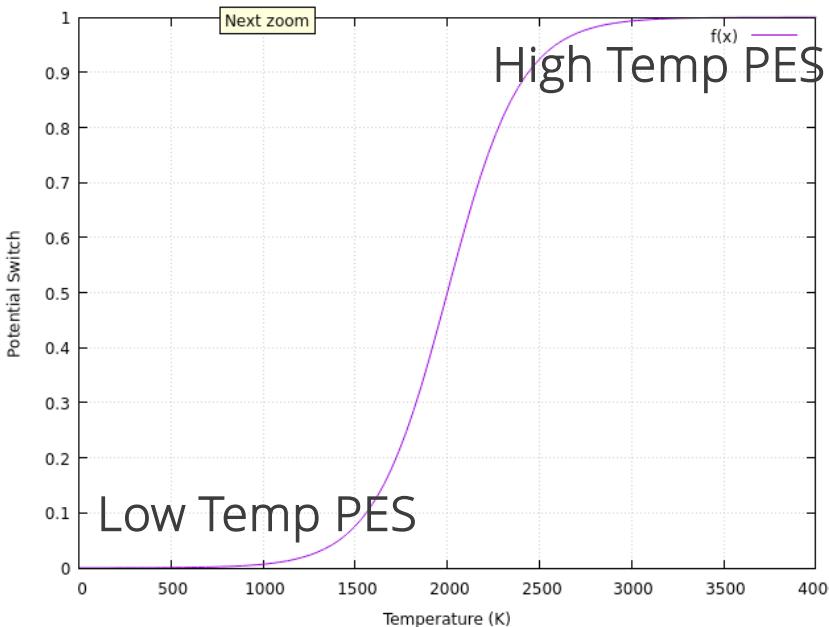
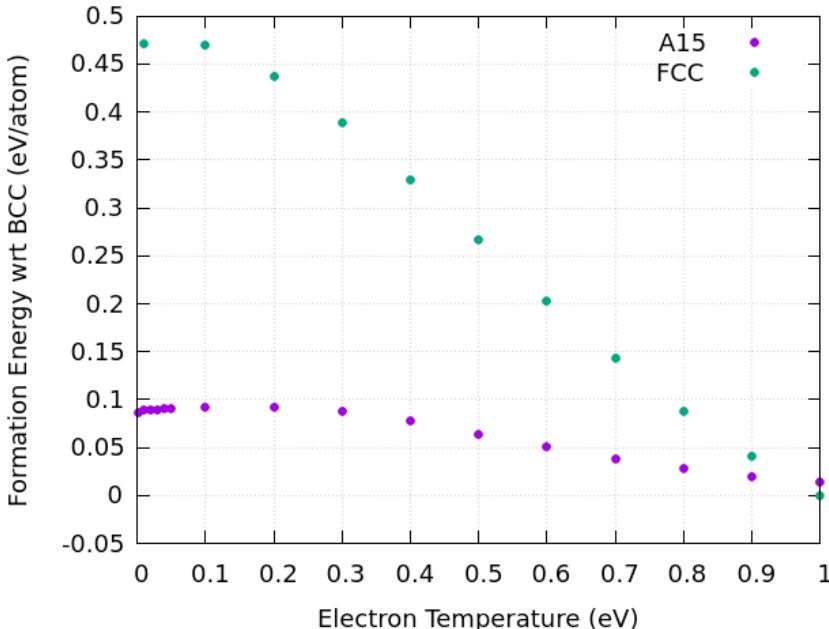
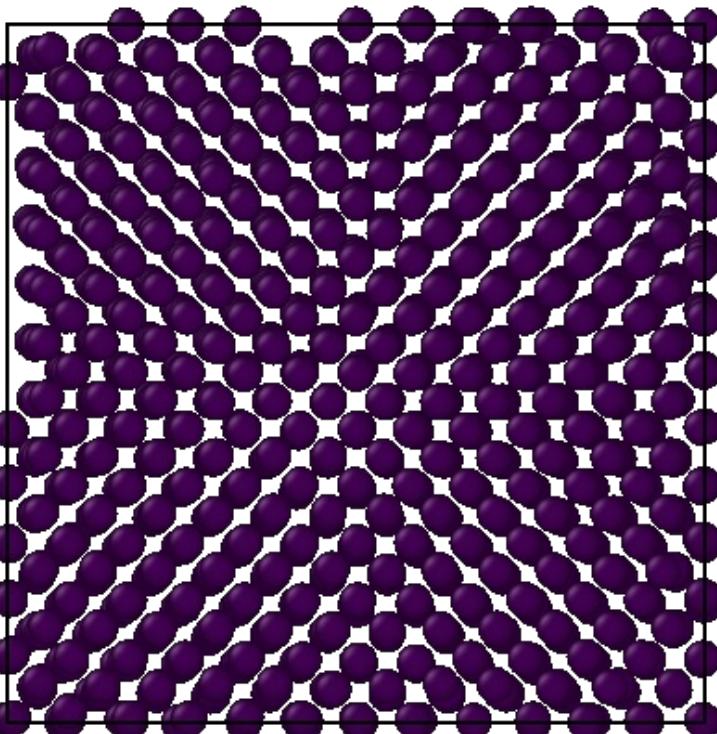
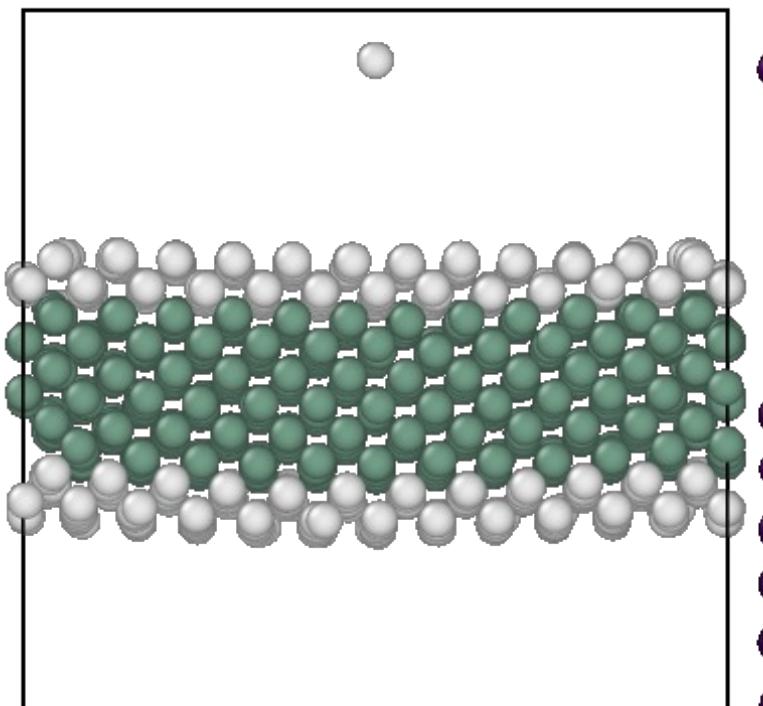
Pictorial PES Distortion by T_e :



In Practice Using LAMMPS

- Partition your training into two bins: High and Low Temperature

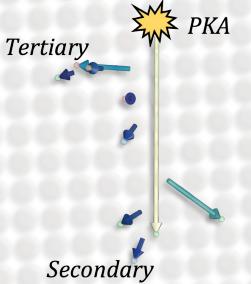
```
compute    lavg all ave/sphere/atom cutoff ${ravg}
variable   psratio1 atom 1/(1+exp(-(c_lavg[2]-v_tdamp)/v_twidht)) #High T surface
variable   psratio2 atom 1-v_psratio1                                #Low T surface
pair_style hybrid/scaled v_psratio2 eam/fs v_psratio1 pace product
pair_coeff * * eam/fs ../2013Marinica_W_EAM2.fs W
pair_coeff * * pace W_pot.yace W
```



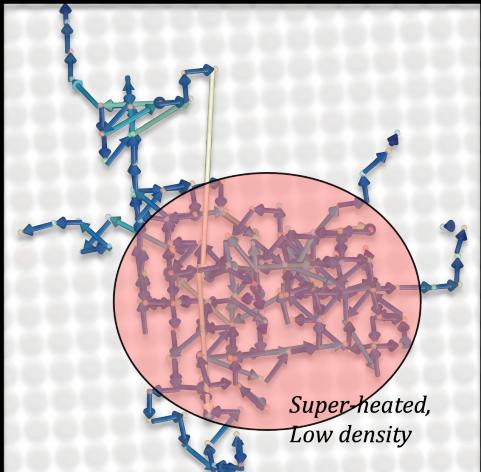
Use Case for Radiation Damage

- During a neutron collision with the lattice, very high energy density states are generated
- Local temperature/density of atoms will determine which PES we sample from
- PKA = Primary Knock-on Atom

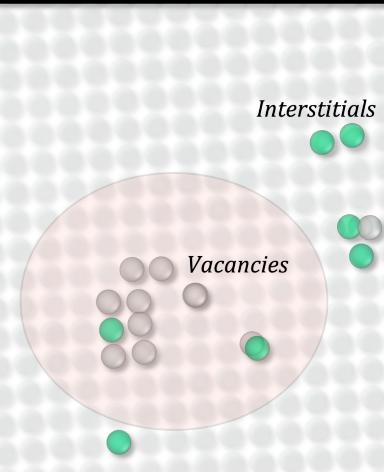
Initial Collision (~0.1ps)



Thermal Spike (1 - 10ps)



Equilibrium Evolution (100ps -)



NVT = 1000K

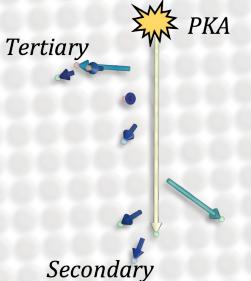
NVE

0.125L

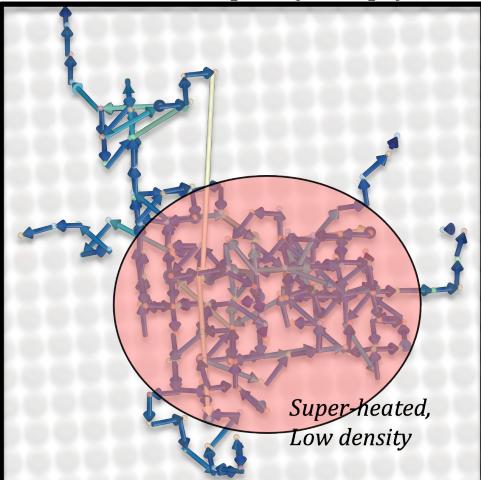
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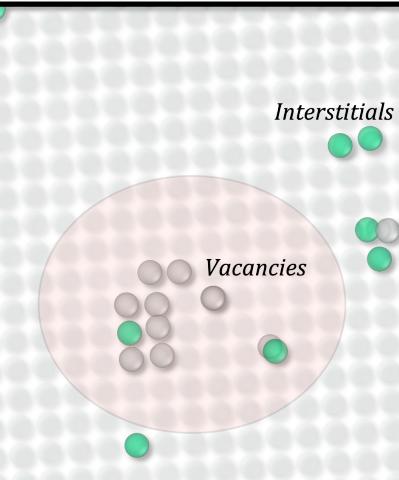
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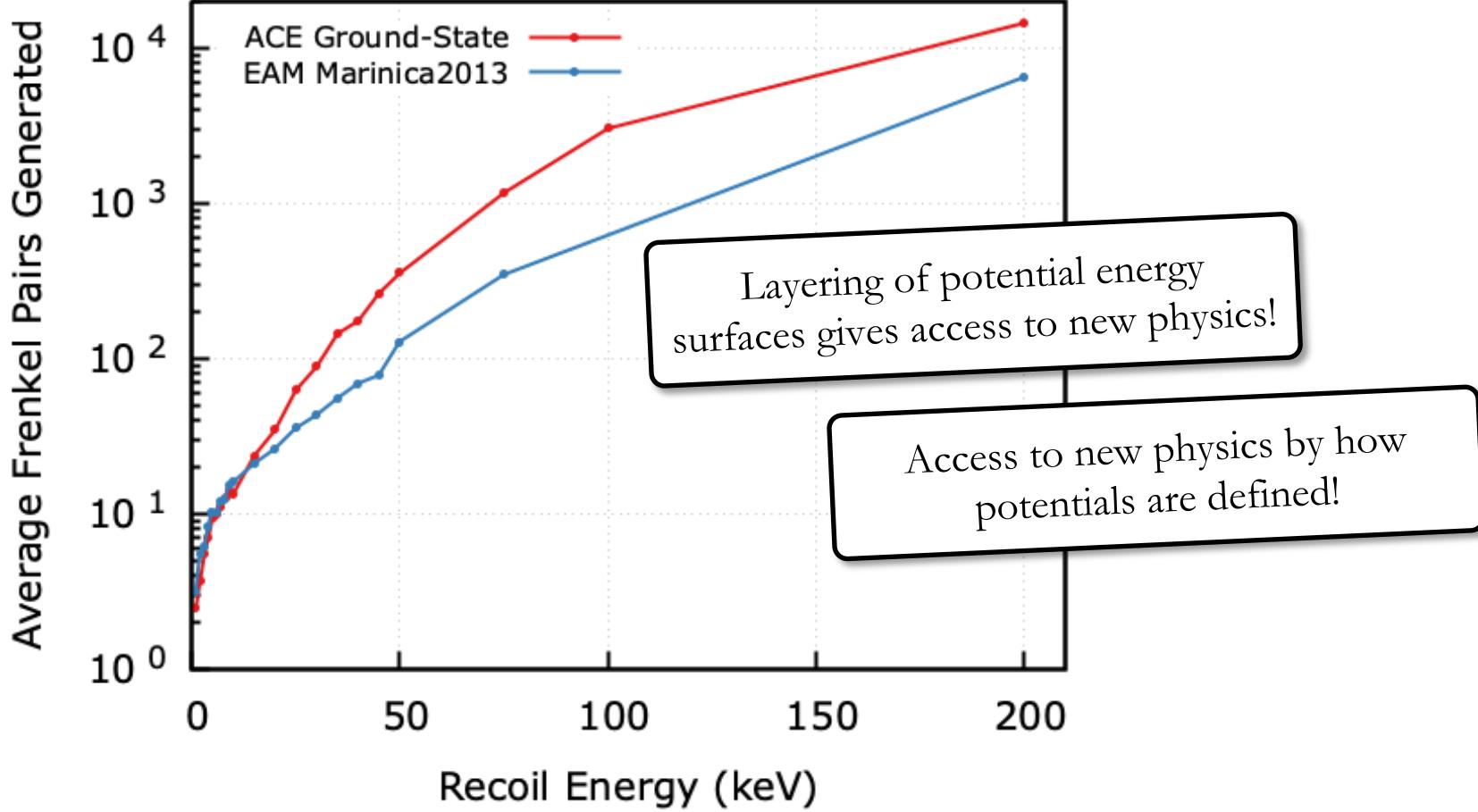
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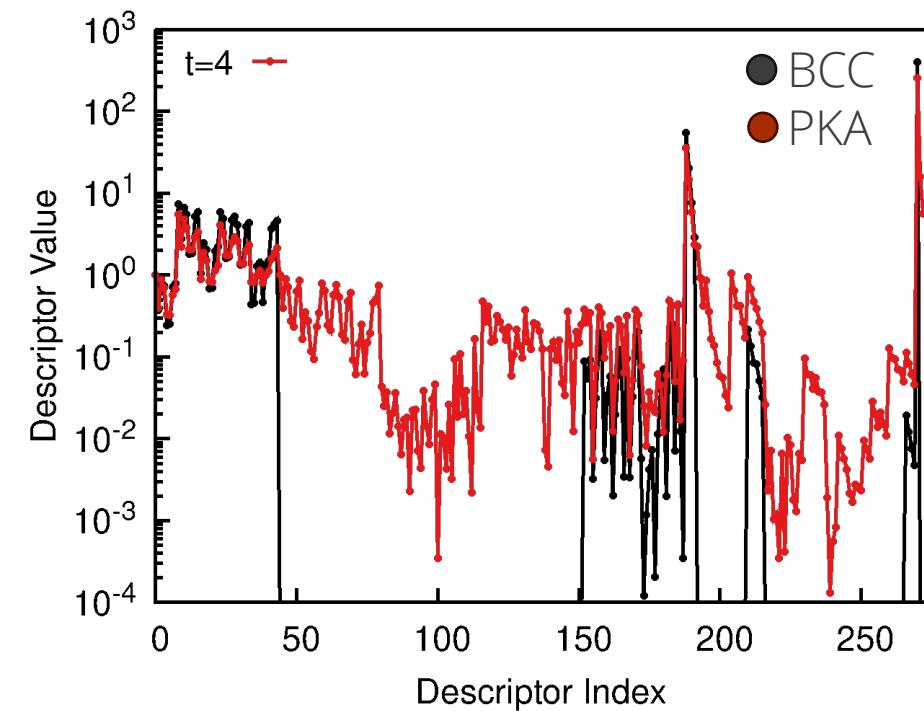
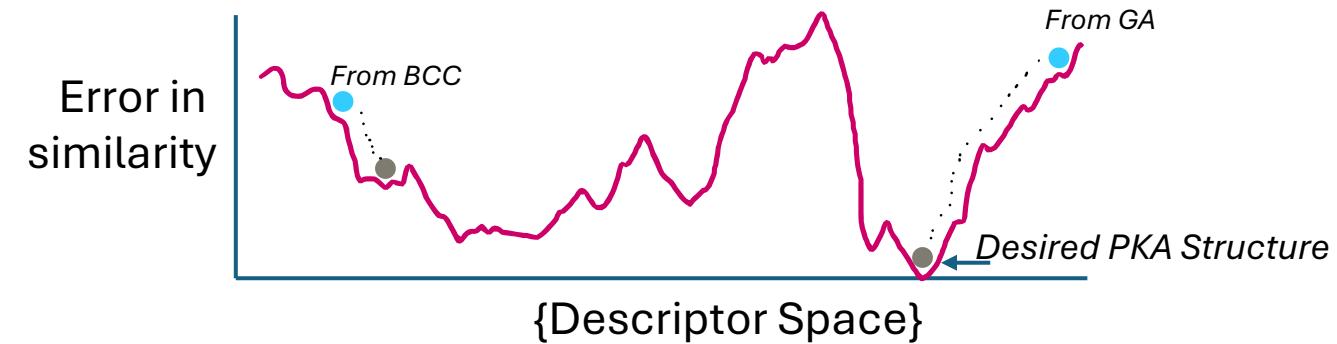
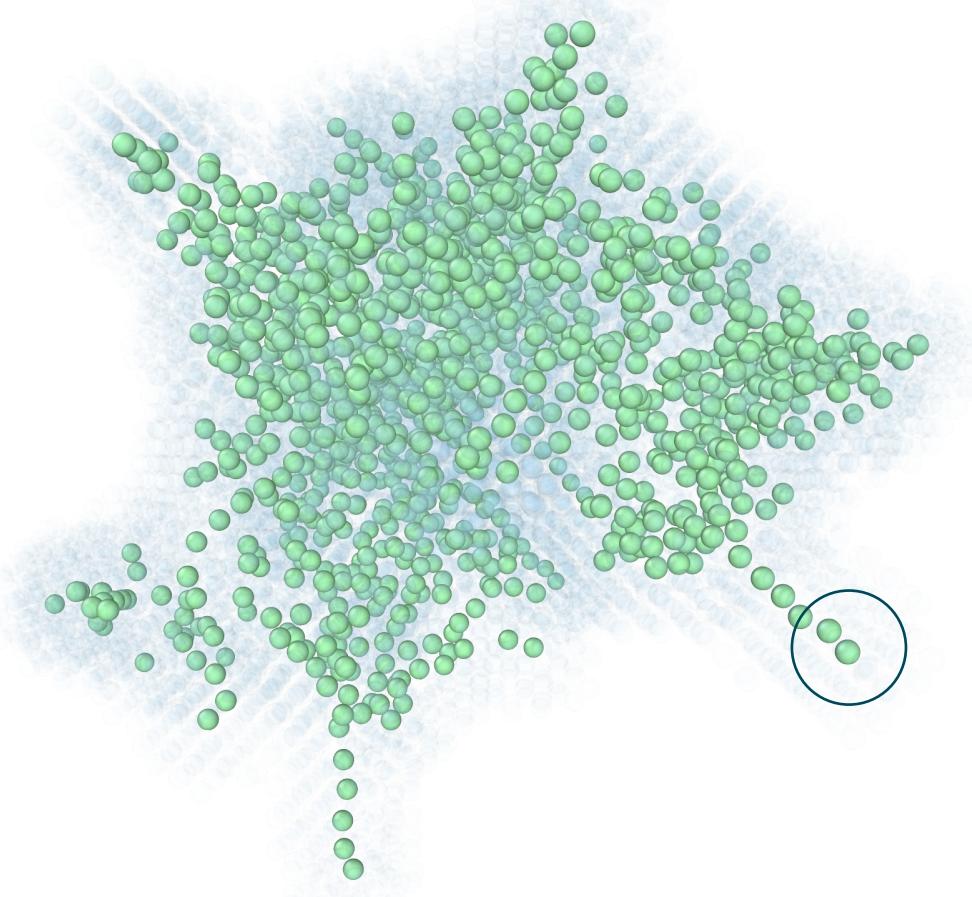
Use Case for Radiation Damage



ACE PES T=0.0eV, 100keV PKA
7.3E-4 DPA before relax
0.52ps Elapsed, adaptive timestep interval

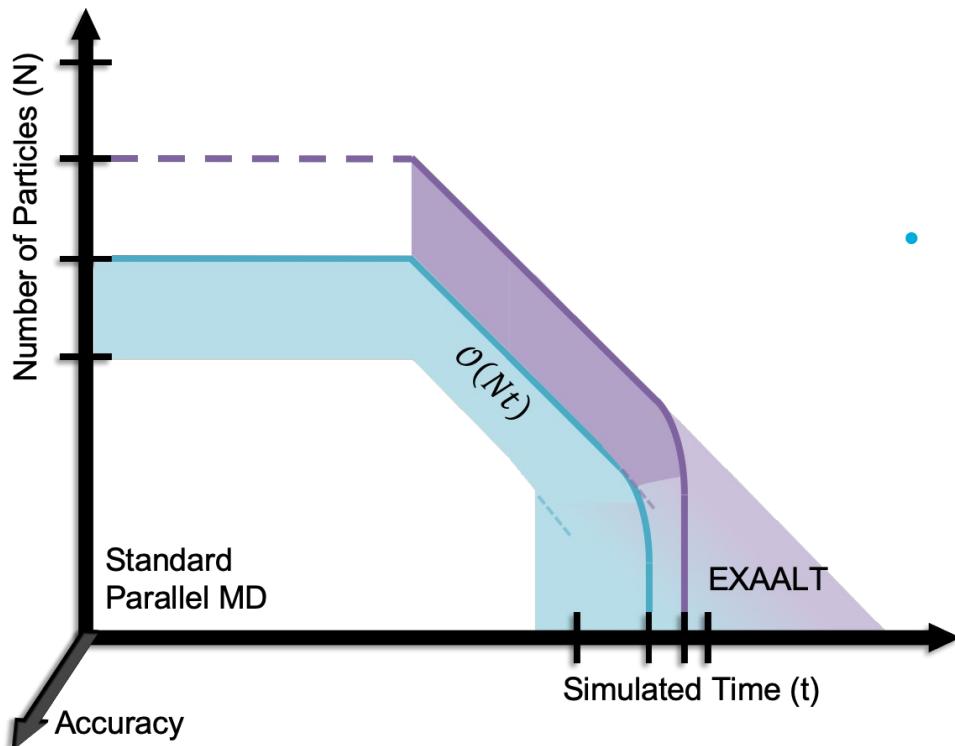
Application to Radiation Damage in Materials

- ML-IAP are being refined toward accurate displacement damage by curating training to transient atomic structures



Conclusion and Path Forward

- Data-driven interatomic potentials allow for MD predictions of challenging material problems.
- While harder to quantify, the fidelity of our MD simulations needs to be a key consideration



- Thank you to all my collaborators: Aidan Thompson, Mary Alice Cusentino, Krupa Ramasesha, Svetoslav Nikolov, Drew Rohskopf, Charlie Sievers, David Montes do Oca Zapian, Danny Perez, Nick Lubbers, Julien Tranchida, Steve Plimpton, Ivan Oleynik, Jon Willman, Ember Sikorski, Megan McCarthy, James Goff, James Stewart, Carlos Pereyra, Nat Trask, Michael Sakano, and many others!



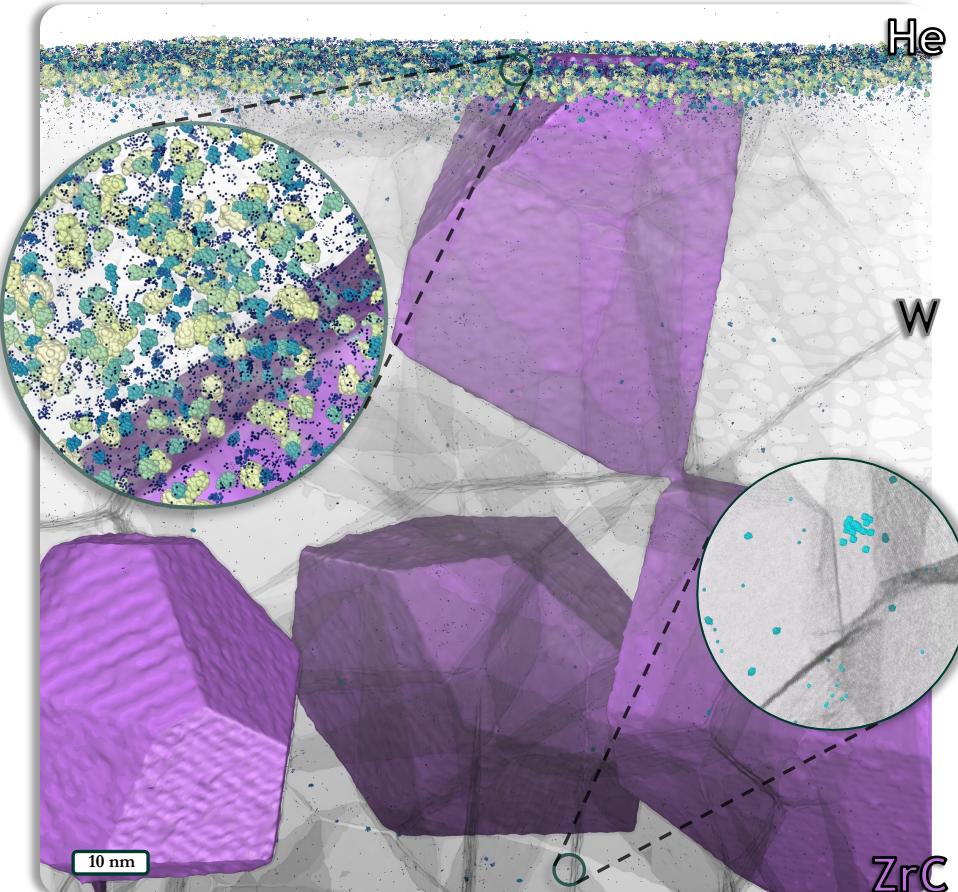
Sandia
National
Laboratories



Contact Information:
mitwood@sandia.gov

Conclusion and Path Forward

- While harder to quantify, the fidelity of our ML-IAP training sets needs to be a key consideration



"Generalized representative structures
for atomistic systems"

OPEN ACCESS

IOP Publishing

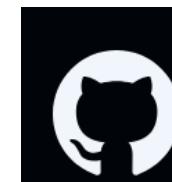
Journal of Physics: Condensed Matter

J. Phys.: Condens. Matter **37** (2025) 075901 (13pp) <https://doi.org/10.1088/1361-648X/ad9791>

"Permutation-adapted complete and independent basis
for atomic cluster expansion descriptors"

Journal of Computational Physics

Volume 510, 1 August 2024, 113073



FitSNAP /
structure-generation

Contact Information:

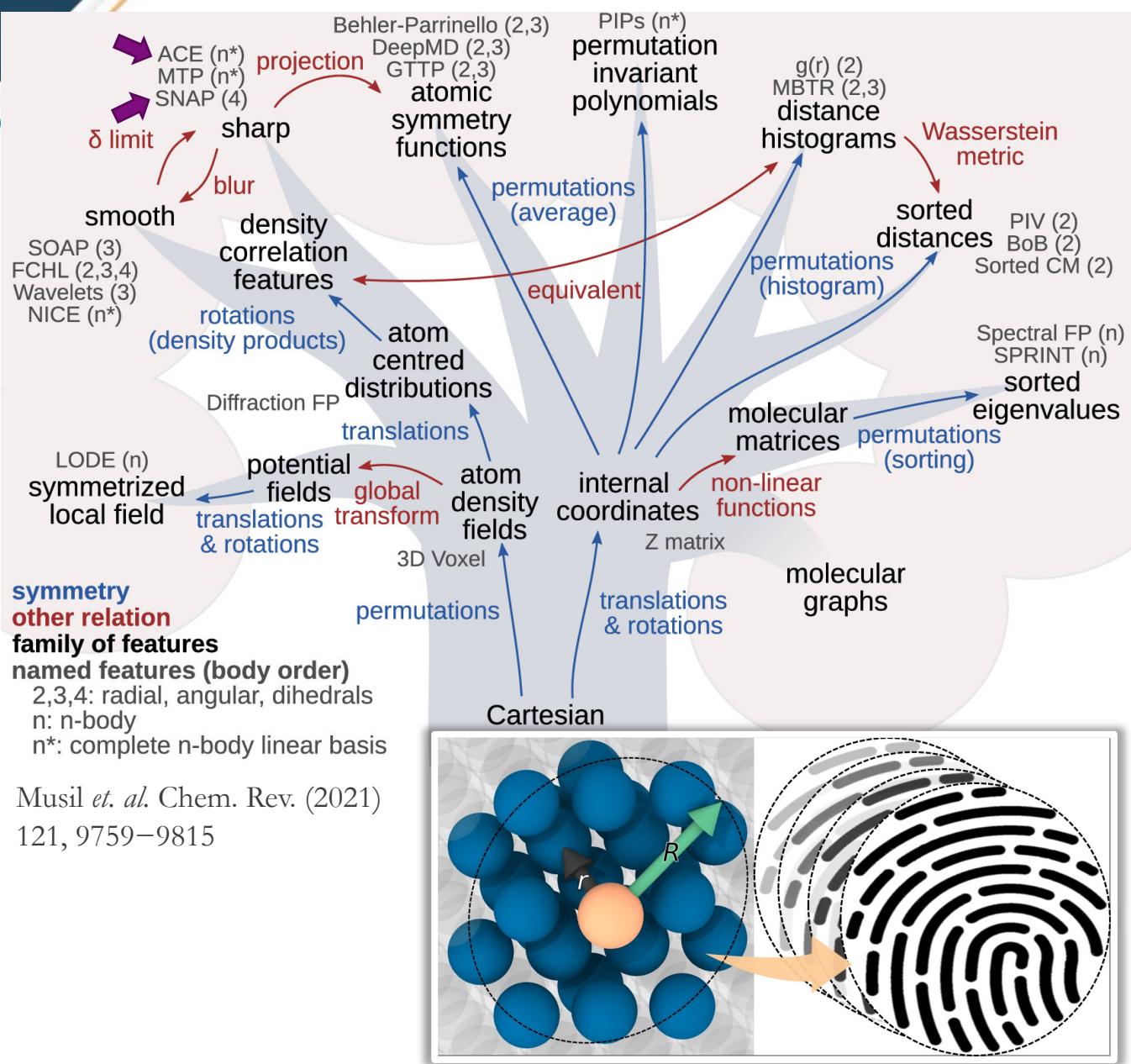
mitwood@sandia.gov



U.S. DEPARTMENT OF
ENERGY

Office of
Science

Descriptor Sets



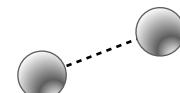
"Permutation-adapted complete and independent basis for atomic cluster expansion descriptors"

Journal of Computational Physics

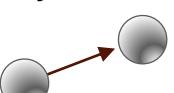
Volume 510, 1 August 2024, 113073

Complete, generalizable single-bond basis

$$\text{Spatial } \phi_{inlm} = R_n(r_{ij}) Y_l^m(\widehat{r}_{ij})$$

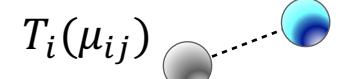


$$\text{Charge (transfer)} \\ T_k(q_{ij}) Y_l'^m(\widehat{\delta q}_{ij})$$

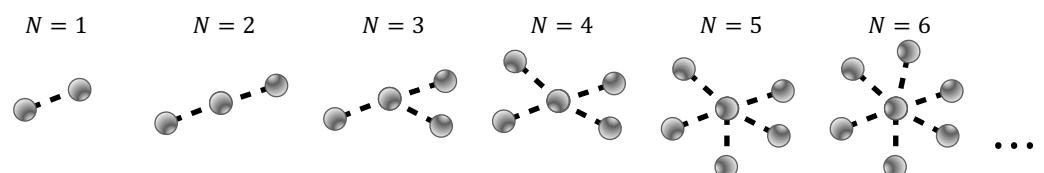


$$\text{Magnetism } T_k(M_i) Y_l''^m(\widehat{M}_i)$$

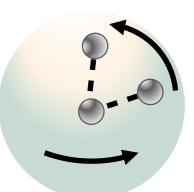
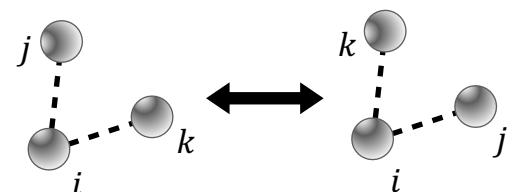
Chemical (bonds)



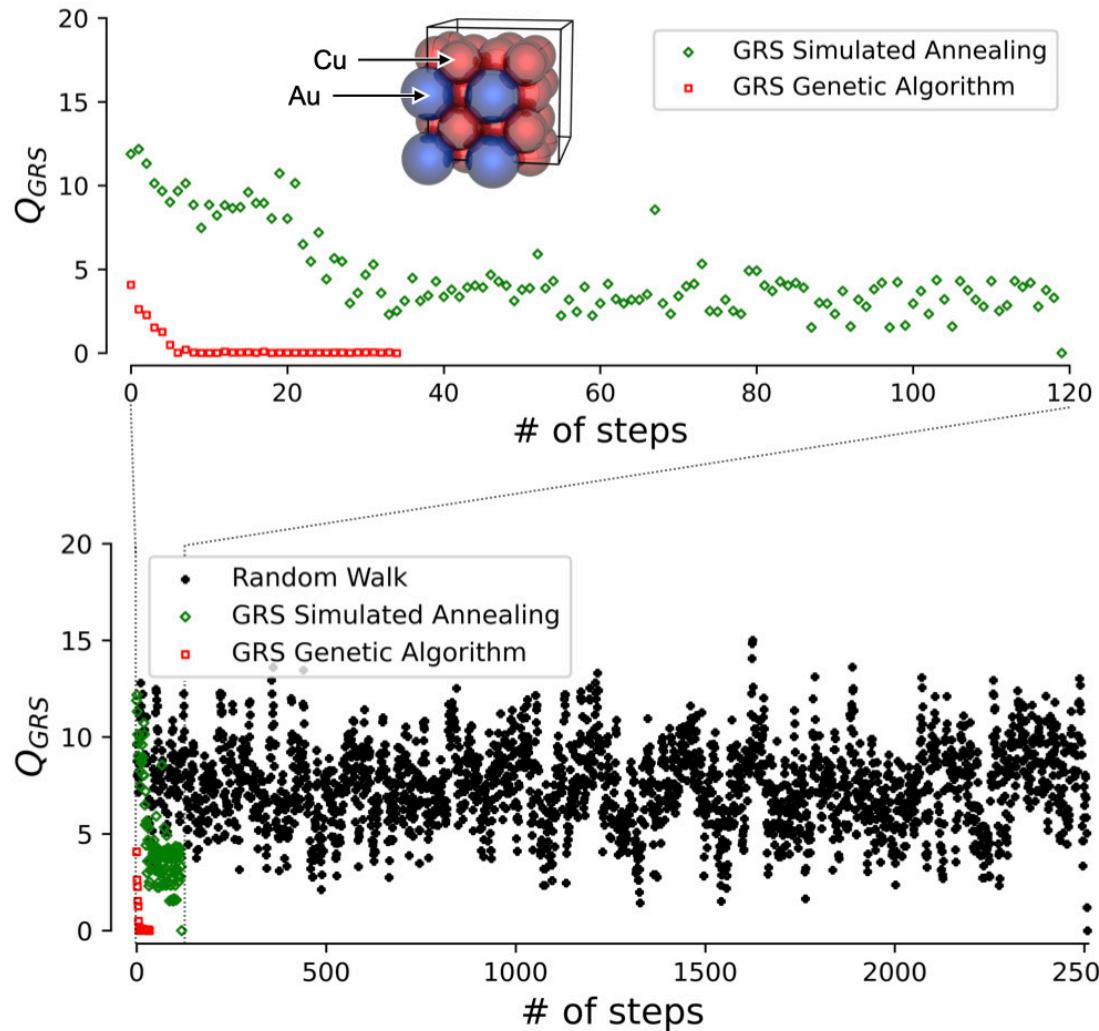
Form a complete N-bond basis



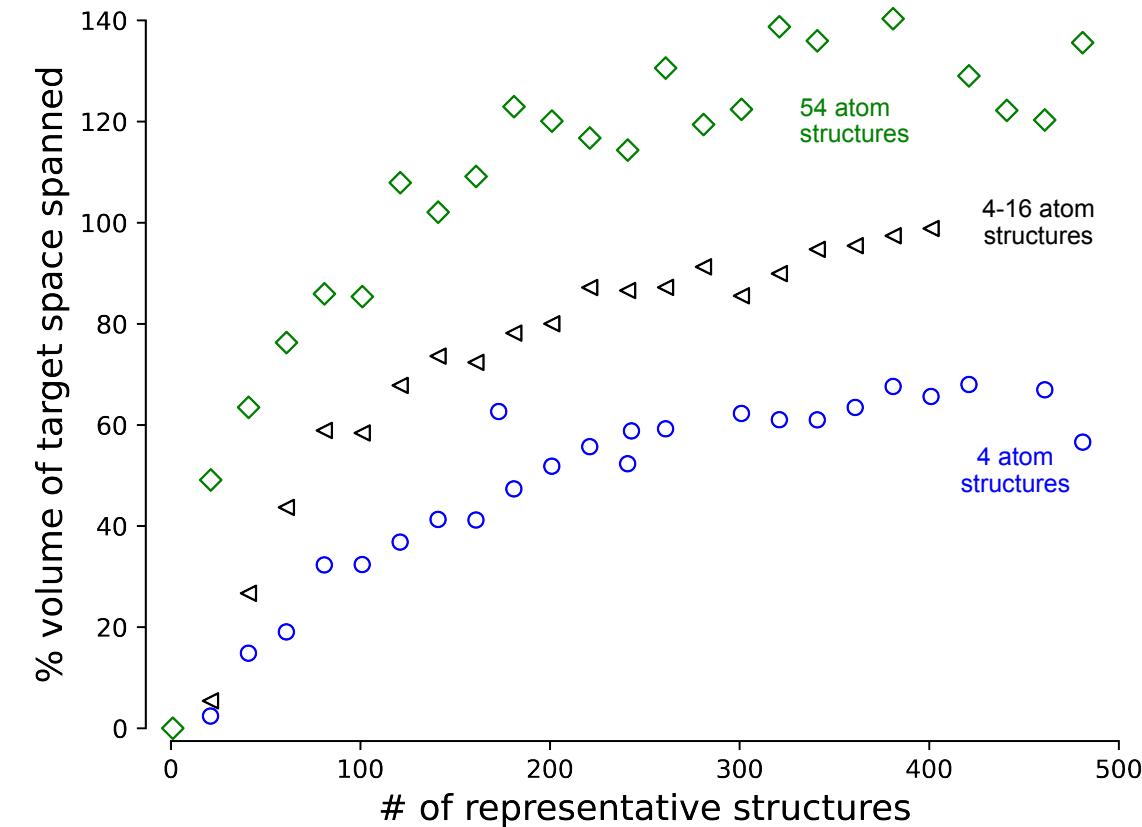
Impose invariance w.r.t. rotations and permutations



Sampling the Loss Function Potential



- More representation in larger structures, batches of structures.



Representing Complex, Heterogeneous Structures

- Descriptor basis is chemically informed, making complex chemistry and structural disorder capable of miniaturizing.

